

## **Computational Materials Physics**



Department of Materials Science and Engineering

## geometry optimization 2 : unit cell shape

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only for a few high-symmetry crystals, the volume fully determines the unit cell.

In most cases, many different unit cell shapes are possible for a given volume :

а	$\ell$	0.9ℓ
b	$\ell$	0.9ℓ
С	2ℓ	2.47ℓ
V	$2\ell^3$	2ℓ <sup>3</sup>





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6 parameters (a, b, c,  $\alpha$ ,  $\beta$ ,  $\gamma$ ) with one constraint (volume) =

5 degrees of freedom.

For every volume: minimize energy according to these 5 degrees of freedom

(alternative: stress tensor formalism - see later)

Can be cumbersome for low-symmetry crystals	
Doable and relevant example: hcp-Mg	
• start from an experimental cif file • vary the volume in 5 steps ( $\pm$ 6%, $\pm$ 3%, 0%)	
• for every volume, vary the c/a ratio in 5 steps $(\pm 4\%, \pm 2\%, 0\%)$ • determine the best c/a (and corresponding energy) for every volume	
<ul> <li>make a Birch-Murnaghan fit through the resulting 5 E(V)-points.</li> </ul>	